For this problem, we want to find if there is a distinct string s that will produce the given string t using one of three rules mentioned. The rules are as follows:

- 1. If the word does not contain any vowels, insert erb after the first letter.
- 2. If the word starts with a vowel, simply put ferbe at the end.
- 3. If the word starts with a consonant but does not contain a vowel somewhere, take every consonant before the first vowel and move that prefix to the end. Then finally, add werb to it at the end.

If s can be determined, we output it. If there are multiple strings that can produce t, the output is SECRET. However, if there are no strings that can produce t, the output is NONE.

Checking for strings translated using the second rule is the easiest. We just make sure that t starts with a vowel and ends with ferbe.

To check if t was translated using the first rule, we check if t ends with erb and if the e in erb is the only vowel in t.

Checking for the third rule is where we determine if there are multiple strings that can produce t. To determine s, we check if t has the following properties:

- starts with a vowel
- ends with werb
- has one and only one consonant before the werb at the end.

If t has the first two properties but has more than one consecutive consonants before werb at the end, then it can be produced from multiple strings. In this case the output is SECRET. For example, if t is inphluence $\underline{\underline{rph}}$ werb. Then the strings that can produce this are

hinpluencerp phinpluencer rphinpluence

Finally, if none of the properties or conditions mentioned above apply, then the output is NONE.

The solution code can be found here.